## Processing of interval and reporting repeats

First, let's define following functions
Children $((l, i, j))-$ set of all children intervals of lcp-interval $(l, i, j)$
$\operatorname{Pos}((l, i, j))=\{\operatorname{suftab}[r] \mid i \leqslant r \leqslant j\}$ - set of all positions in lcp-interval $(l, i, j)$
$\operatorname{Pos}_{C}((l, i, j))=\underset{I \in C \text { Children }((l, i, j))}{\cup} \operatorname{Pos}(I)$ - set of all positions in children intervals
$\operatorname{Pos}^{\prime}((l, i, j))=\operatorname{Pos}((l, i, j))-\operatorname{Pos}_{C}((l, i, j))$
$L C(p)=S[p-1]$ if $p>0$ - returns left context of position $p$
$L C(0)=\phi$
$\operatorname{PartByLC}(P, a)=\{p \mid p \in P \wedge L C(p)=a\}$ - extracts only positions from set $P$ with left context $a \in \Sigma \cup \phi$.

Let $(l, i, j)$ be an lcp-interval with $l \geqslant$ minLength we're about to process.
We divide $\operatorname{Pos}^{\prime}((l, i, j))$ into disjoint and possibly empty sets $P^{\prime}{ }_{a}$ according to the characters left to each position (left context).

For each $a \in \Sigma \cup \phi$ let's define
$P_{a}=\operatorname{PartByLC}(\operatorname{Pos}((l, i, j)), a)$ and
$P^{\prime}{ }_{a}=\operatorname{PartByLC}\left(\operatorname{Pos}^{\prime}((l, i, j)), a\right)$
For $\forall(a, b) \in(\Sigma \cup\{\phi\}) \times(\Sigma \cup\{\phi\}), a<b, \forall p_{1} \in P^{\prime}{ }_{a}, \forall p_{2} \in P_{b}$ :
we report maximal repeat ( $p_{1,} p_{2}, l$ ).
It's left maximality comes from different left context of positions $p_{1}$ and $p_{2}$ and right maximality and match properties come from lcp-table property.

The reason why $p_{1}$ is taken only from $P^{\prime}{ }_{a}$ is that children intervals already have been processed and their repeats have been reported.

Instead of reporting all repeats, the number of which may be quadratic in length of interval, we report for each interval a special report structure $r$ with following information:

1. r.lcp-lcp value
2. r. $p[a]-P^{\prime}{ }_{a}$ for all $a \in \Sigma \cup \phi$, organized in buckets indexed by $a$
3. $r . k$ - number of children reports
4. r.child $[i]$ - links to report structures of children intervals for all $1 \leqslant i \leqslant r . k$

By processing lcp-interval tree, we are this way creating match/repeat report tree.
This structure takes up $O(n)$ space.
Later, if we want to make queries of type: "given position $p_{1}$, give me all positions $p_{2}$, so that $\left(p_{1,} p_{2}, l\right)$, is maximal match/repeat with $l \geqslant$ minLength", we can assign each position $p$ pointer to it's report structure $r$ and find all corresponding matches by following recursive function:

Find $(p, r)=(\underset{a \neq L C(p)}{\cup} r . p[a]) \cup(\underset{1 \leqslant i \leqslant r \cdot k}{\cup}$ Find $(p, r . c h i l d[i]))$

